

### Unit C Exam Review

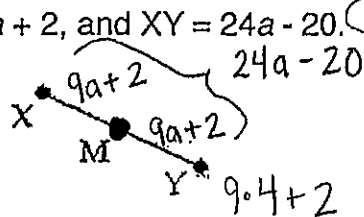
1. Use the road mileage chart shown below for three cities in Iowa. If you drive from Cedar Rapids to Des Moines through Sioux City, how much farther is it than driving directly from Cedar Rapids to Des Moines?

	Cedar Rapids	Des Moines	Sioux City
Cedar Rapids		122	275
Des Moines	122		200
Sioux City	275	200	

1. 353 mi.

CR → Des 122 miles  
 CR → Sioux 275 mi    Sioux → Des 200  
 475 mi.  
 $475 - 122$

2. On the segment below, M is the midpoint of  $\overline{XY}$ ,  $XM = 9a + 2$ , and  $XY = 24a - 20$ . Find  $MY$ .



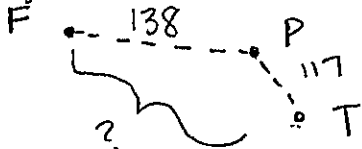
2. 38

$$\begin{aligned} 9a + 2 + 9a + 2 &= 24a - 20 \\ 18a + 4 &= 24a - 20 \\ -18a & \quad -18a \\ 4 &= 6a - 20 \\ +20 & \quad +20 \\ 24 &= 6a \\ \frac{24}{6} &= \frac{6a}{6} \\ a &= 4 \end{aligned}$$

3. Can the numbers 12, 6.2, and 17.7 be the lengths of three sides of a triangle?  
 $12 + 6.2 = 18.2$

3. Yes, since  
 $18.2 > 17.7$

4. In Arizona the distance from Flagstaff to Phoenix is 138 miles and the distance from Phoenix to Tucson is 117 miles. From these facts alone, what conclusion can you draw about the distance from Flagstaff to Tucson?



$$\begin{aligned} 138 + 117 &= 255 \\ 138 - 117 &= 21 \end{aligned}$$

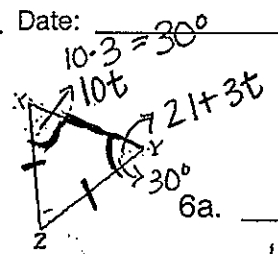
4.  $21 < x < 255$

5. Two sides of a triangle have lengths 87 cm and 209 cm. How long can a third side be?

$$\begin{aligned} 209 + 87 &= 296 \\ 209 - 87 &= 122 \end{aligned}$$

5.  $122 < x < 296$

6.  $\triangle XYZ$  below is isosceles with base  $\overline{XY}$ .



a. If  $m\angle Z = 64$ , find  $m\angle X$ .

6a. 58°

b. If  $m\angle X = 10t$  and  $m\angle Y = (21 + 3t)$ , find  $t$  and  $m\angle Z$ .

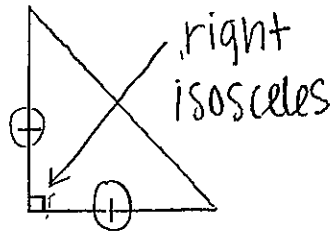
b.  $t = 3, \angle Z = 120^\circ$

$$10t = 21 + 3t$$

$$\begin{array}{r} 10t \\ -3t \\ \hline 7t = 21 \end{array} \quad \begin{array}{r} \\ -3t \\ \hline \end{array} \rightarrow t = 3$$

7. From the information given in the drawing below, what type of triangle is pictured? Be as specific as possible.

7. isosceles right triangle

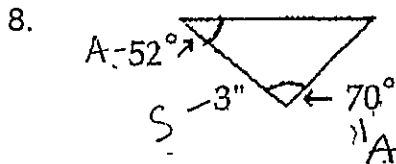


8-10

For 8-10, suppose a triangle is drawn with the measures indicated below.

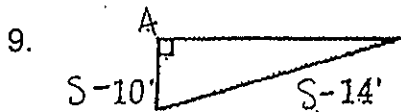
a. Are all triangle with these measure congruent? Yes/No

b. Which triangle congruence theorem did you use? SSS, SAS, ASA, AAS



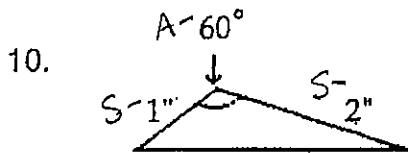
8a. Yes

b. ASA



9a. No

b. n.e.i

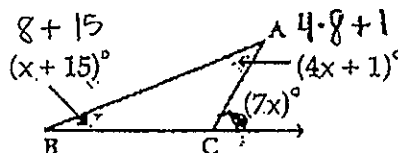


10a. Yes

b. SAS

11. Refer to  $\triangle ABC$  below.

a. Find  $m\angle A$ .



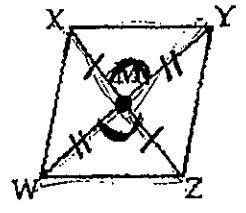
11a. 33°

b. Find  $m\angle B$ .

b. 23°

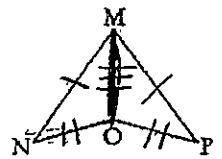
$$\begin{array}{r} x + 15 + 4x + 1 = 7x \\ 5x + 16 = 7x \\ -5x \quad -5x \\ \hline 16 = 2x \\ \frac{16}{2} = \frac{2x}{2} \\ 8 = x \end{array}$$

12. Justify each conclusion in this proof.  
 Given:  $XYZW$  is a parallelogram;  $M$  is the midpoint of diagonals  $XZ$  and  $YW$ .  
 To Prove:  $\triangle XMY \cong \triangle ZMW$ .



Conclusions	Justifications
0. $XYZW$ is a parallelogram; $M$ is the midpoint of diagonals $XZ$ and $YW$ .	Given
1. $XM = MZ$ and $WM = MY$	Def. of midpoint
2. $\angle XMY \cong \angle ZMW$	Vertical Angles
3. $\triangle XMY \cong \triangle ZMW$	SAS

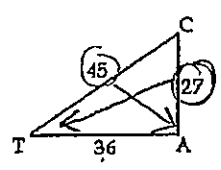
13. Write an argument for the following proof.  
 Given:  $\overline{MN} \cong \overline{MP}$  and  $\overline{NO} \cong \overline{PO}$ .  
 To Prove:  $\angle NMO \cong \angle PMO$ .



Conclusions	Justifications
0. $\overline{MN} \cong \overline{MP}$ & $\overline{NO} \cong \overline{PO}$	0. Given
1. $MO = MO$	1. Reflexive Property
2. $\triangle NMO \cong \triangle PMO$	2. SSS
3. $\angle NMO \cong \angle PMO$	3. CPCTF

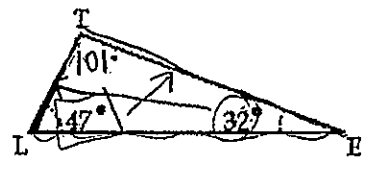
14. Refer to  $\triangle CAT$ .

- a. Name the largest angle.  
 b. Name the smallest angle.



- 14a.  $\angle A$   
 b.  $\angle T$

15. Name the sides of  $\triangle LET$  below in order from shortest to longest.



15.  $\overline{LT}, \overline{TE}, \overline{LE}$

16. **Multiple Choice.** If  $A$ ,  $B$ , and  $D$  are coplanar,  $BD = 45$ ,  $AD = 11$ , and  $AB = 56$ , you can conclude...

- a.  $A$ ,  $B$ , and  $D$  are vertices of a triangle.
- b.  $D$  is between  $A$  and  $B$ . ✓
- c.  $B$  is between  $A$  and  $D$ .
- d.  $A$  is between  $B$  and  $D$ .

